

NAME

Key

DATE

SCORE

Practice 25

Ratio, Proportion, and Similarity

Lessons 7-1 through 7-3

Express each ratio in simplest form.

1. $\frac{20}{45} = \frac{4}{9}$

2. 8 cm to 200 m $\frac{4}{100}$ to $\frac{25}{1000}$

3. $\frac{2m}{7mm} = \frac{2}{7}$

4. $\frac{15n^2}{40n} = \frac{3n}{8}$

5. $(x-5):3(x-5) = \frac{1}{3}$

6. $\frac{2(a+7)}{6a+42} = \frac{1}{3}$

Complete each statement.

7. If $\frac{a}{6} = \frac{4}{7}$, then $7a = \frac{24}{1}$

8. If $\frac{b}{c} = \frac{d}{e}$, then $\frac{e}{d} = \frac{c}{b}$

9. If $\frac{x}{7} = \frac{c}{9}$, then $\frac{x}{c} = \frac{7}{9}$

10. If $5:x = 9:3$, then $9x = \frac{15}{1}$

11. If $\frac{a}{8} = \frac{b}{12}$, then $\frac{a+8}{8} = \frac{b+12}{12}$

12. If $\frac{x}{5} = \frac{3}{4}$, then $\frac{x+3}{9} = \frac{3}{4}$

Find the value of x .

13. $\frac{x}{20} = \frac{3}{5}$, $x = \frac{12}{1}$

14. $\frac{7}{2} = \frac{3x}{5}$, $x = \frac{35}{6}$

15. $\frac{x-2}{3} = \frac{1}{4}$, $x = \frac{11}{4}$, $3 = 4x - 8$

16. $\frac{x-4}{x+4} = \frac{1}{3}$, $x = \frac{8}{1}$, $3x - 12 = x + 4$

17. $\frac{4}{2x-5} = \frac{3}{x+7}$, $x = \frac{43}{2}$, $4x+28 = 6x-15$

18. $\frac{x}{x-2} = \frac{x+5}{x}$, $x = \frac{10}{3}$, $x^2 = x^2 + 3x - 10$

19. The measures of two supplementary angles are in the ratio 5:13. Find the measure of each angle.

smaller angle 50 larger angle 130

$x = 10$

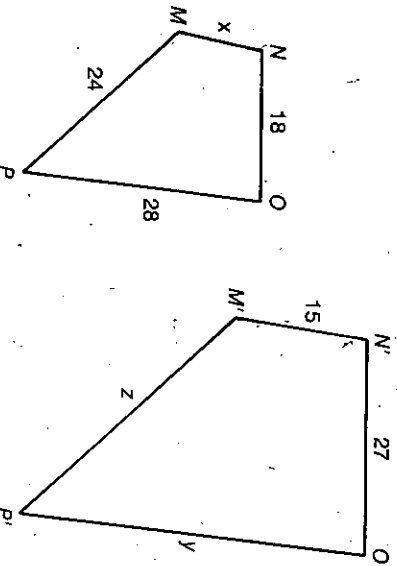
20. Quad
- $MNOP \sim$
- quad
- $M'N'O'P'$
- .

- a. The scale factor of quad
- $MNOP$
- to quad
- $M'N'O'P'$
- is
- $\frac{18'}{27} = \frac{2}{3}$

b. The value of $x = \frac{10}{1}$, $\frac{18'}{27} = \frac{x}{15}$

c. The value of $y = \frac{42}{3}$, $\frac{8}{3} = \frac{2x}{4}$

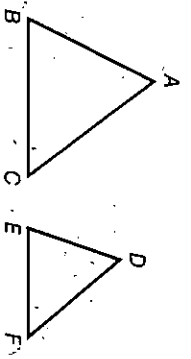
d. The value of $z = \frac{36}{3}$, $\frac{2}{3} = \frac{24}{z}$



Practice 26 Supplementary Practice

Using the given information, tell which triangles are similar. (The diagram is *not* drawn to scale.)

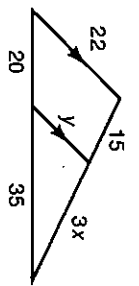
- $\frac{AB}{DF} = \frac{AC}{DE}$; $\angle A \cong \angle D$ $\triangle ABC \sim \triangle DFE$
- $\frac{AB}{FD} = \frac{BC}{DE} = \frac{AC}{FE}$ $\triangle ABC \sim \triangle FDE$
- $\angle A \cong \angle E$; $\angle B \cong \angle F$ $\triangle ABC \sim \triangle EFD$
- $AB = AC$; $DE = DF$; $\angle A \cong \angle D$ $\triangle ABC \sim \triangle DEF$



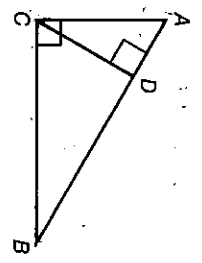
Complete each statement with the word *always*, *sometimes*, or *never*.

- Two equilateral triangles are always similar.
- Two similar triangles are SOMETIMES congruent.
- Two congruent triangles are always similar.
- Two isosceles right triangles are always similar.

- Find the values of x and y . Refer to the figure.
 $x = \underline{8.75}$ $\frac{15}{20} = \frac{3x}{35}$
 $y = \underline{14}$ $\frac{35}{55} = \frac{y}{22}$



- Given: $\triangle ABC$ with $m\angle ACB = 90^\circ$;
 $\overline{CD} \perp \overline{AB}$
 Prove: $AB \cdot AD = (AC)^2$



- $m\angle ACB = 90^\circ$; $\overline{CD} \perp \overline{AB}$
- $\angle ACB$ is rt. \angle
- $\angle ADC$ is rt. \angle
- $\angle ACB \cong \angle ADC$
- $\triangle ACB \sim \triangle ADC$
- $\frac{AB}{AC} = \frac{AC}{AD}$
- $AB \cdot AD = (AC)^2$

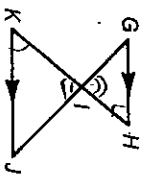
- Given
- def. rt. \angle
- def. \perp
- all rt. \angle 's \cong
- AA Post.
- corr. sides $\sim \Delta$ prop.
- Means - Extremes

Practice 27

Working with Similar Triangles

Can the two triangles be proved similar? If so, state the similarity and tell which postulate or theorem you would use. If not, write *no*.

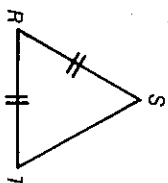
1.



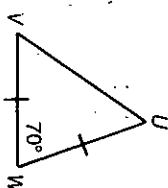
$\triangle GHI \sim \triangle KJL$

AA

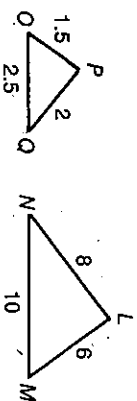
2.



no



3.

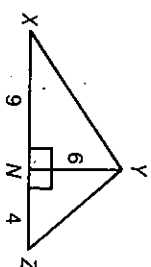


$\triangle POQ \sim \triangle NLM$

SSS ~ Th.

$\frac{1.5}{8} = \frac{2}{6} = \frac{2.5}{10}$

4.



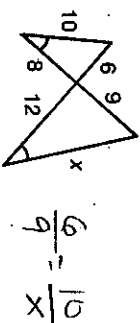
$\triangle XZY \sim \triangle YZX$

SAS ~ Th.

$\frac{4}{6} = \frac{6}{9}$

Find the value of *x*.

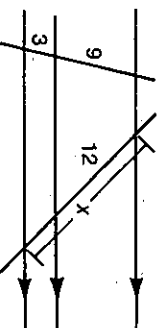
5.



$\frac{6}{9} = \frac{10}{x}$

$x = 15$

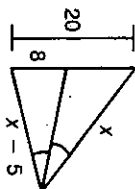
6.



$\frac{9}{12} = \frac{3}{x}$

$x = 15$

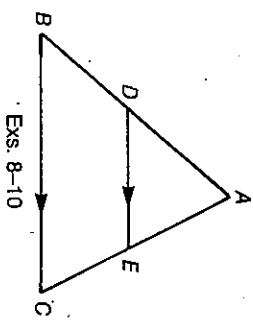
7.



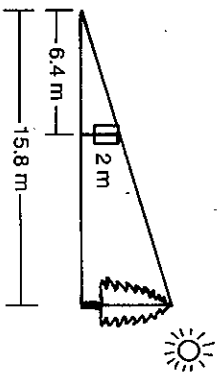
$\frac{20}{8} = \frac{x-5}{x-5}$
 $16x - 40 = 20x - 100$
 $60 = 4x$

Complete the table. It may help to draw a new sketch for each exercise and label lengths as you find them.

AD	DB	AB	AE	EC	AC	DE	BC
8	16	24	6	12	18	10	30
7	7	14	5	5	10	11	22
4	6	10	6	9	15	9	22.5



11. To estimate the height of a tree, Adele waited until the tops of the shadows of the tree and a sign coincided. The sign is 2 m high and the sign and the tree have shadows of 6.4 m and 15.8 m, respectively. Find the height of the tree rounded to the nearest tenth of a meter.



$\frac{2}{6.4} = \frac{x}{15.8}$

$x = 4.9$