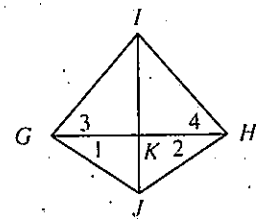


# Congruent Triangles

For use after Chapter 4

Complete.

- Suppose  $\triangle ABC \cong \triangle DEF$ . Then:
  - $\angle A \cong \angle$  D
  - $\overline{AC} \cong$  DF
  - $\overline{FE} \cong$  CB
  - $\angle C \cong \angle$  F
- If  $\overline{GI} \cong \overline{HI}$ , then  $\angle$  3  $\cong \angle$  4.
- If  $\overline{IK} \perp \overline{GH}$ , then  $\overline{IK}$  is a(n) altitude of  $\triangle GHI$ .
- If  $J$  is on the perpendicular bisector of  $\overline{GH}$ , then  $\overline{JG} \cong \overline{JH}$ .
- If  $K$  is on the bisector of  $\angle GIH$ , then  $K$  is equidistant from  $\overline{IG}$  and  $\overline{IH}$ .
- If  $\angle 1 \cong \angle 2$ , then  $\overline{GJ} \cong \overline{HJ}$ .



Exs. 2-6

State which congruence method(s), SSS, SAS, ASA, AAS, or HL, can be used to prove the triangles congruent.

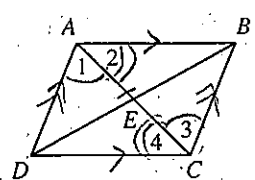
- AAS
- ASA
- SSS
- SAS
- HL
- ASA

Supply the missing reasons in the key steps of the proof.

13. Given:  $\overline{AB} \parallel \overline{DC}$ ;  $\overline{AD} \parallel \overline{BC}$   
 Prove:  $\overline{AE} \cong \overline{CE}$ ;  $\overline{DE} \cong \overline{BE}$

Key steps of proof:

- $\overline{AB} \parallel \overline{DC}$ ;  $\overline{AD} \parallel \overline{BC}$
- $\angle 1 \cong \angle 3$ ;  
 $\angle 2 \cong \angle 4$   
 $\ast \overline{AC} \cong \overline{AC} \rightarrow$  Reflexive
- $\triangle ADC \cong \triangle CBA$
- $\overline{AD} \cong \overline{CB}$   
 $\ast \angle AED \cong \angle CEB \rightarrow$  Vert.  $\angle \cong$
- $\triangle AED \cong \triangle CEB$
- $\overline{AE} \cong \overline{CE}$ ;  $\overline{DE} \cong \overline{BE}$



- Given
- || lines  $\rightarrow$  Alt. Int.  $\angle \cong$
- ASA
- CPCTC
- AAS
- CPCTC

