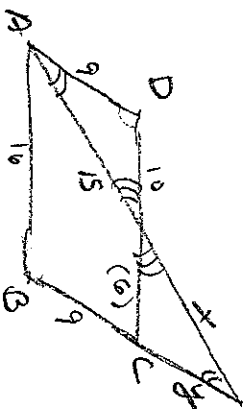


7.4

18



$$\frac{6}{10} = \frac{3}{5} = \frac{x}{15}$$

$$\boxed{45 = 5x}$$

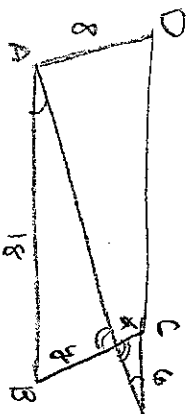
$$\boxed{9 = x}$$

$$\frac{3}{5} = \frac{x}{9}$$

$$27 = 5x$$

$$\boxed{\frac{27}{5} = y = 5.4}$$

19



$$x + y = 8$$

$$y = 8 - x$$

$$\frac{6}{8} = \frac{1}{3} = \frac{x}{y}$$

$$\frac{1}{3} = \frac{x}{8-x}$$

$$\boxed{2 + y = 8}$$

$$\boxed{y = 6}$$

$$8 - x = 3x$$

$$8 = 4x$$

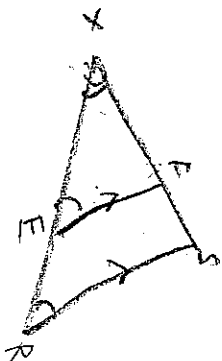
$$\boxed{2 = x}$$

21

Given: $\overline{EF} \parallel \overline{RS}$

Prove: a) $\Delta FXE \sim \Delta SXE$

b) $\frac{FX}{SX} = \frac{EF}{RS}$



1. $\overline{EF} \parallel \overline{RS}$
2. $\angle X \cong \angle X$
3. $\angle FEX \cong \angle SRX$
4. $\Delta FXE \sim \Delta SXE$
5. $\frac{FX}{SX} = \frac{EF}{RS}$

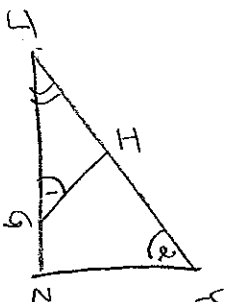
1. Given
2. Reflexive
3. \parallel lines \rightarrow corr. \angle 's \cong
4. AA sim. post.
5. corr. sides sim. Δ prop.

22

Given: $\angle I \cong \angle R$

Prove: a) $\Delta JIG \sim \Delta JZP$

b) $\frac{JG}{JP} = \frac{GI}{PZ}$



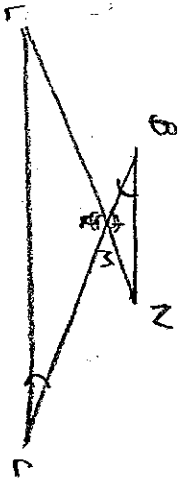
1. $\angle I \cong \angle R$
2. $\angle J \cong \angle J$
3. $\Delta JIG \sim \Delta JZP$
4. $\frac{JG}{JP} = \frac{GI}{PZ}$

1. Given
2. Reflexive
3. AA sim. post
4. corr. sides $\sim \Delta$ prop.

(23)

Given: $\angle B \cong \angle C$

Prove: $NM \cdot CM = LM \cdot BM$



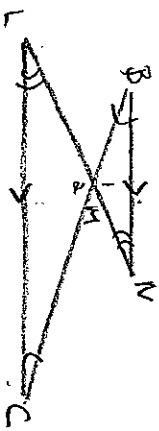
1. $\angle B \cong \angle C$
2. $\angle 1 \cong \angle 2$
3. $\triangle BMN \sim \triangle CML$
4. $\frac{NM}{LM} = \frac{BM}{CM}$
5. $NM \cdot CM = LM \cdot BM$

1. Given
2. Vert. \angle 's \cong
3. AA Sim. post.
4. corr. sides $\sim \Delta$ prop.
5. Means-Extremes

(24)

Given: $\overline{BN} \parallel \overline{LC}$

Prove: $BN \cdot LM = CL \cdot NM$



1. $\overline{BN} \parallel \overline{LC}$
2. $\angle N \cong \angle L$, $\angle B \cong \angle C$
3. $\triangle BNM \sim \triangle CLM$
4. $\frac{BN}{CL} = \frac{NM}{LM}$
5. $BN \cdot LM = CL \cdot NM$

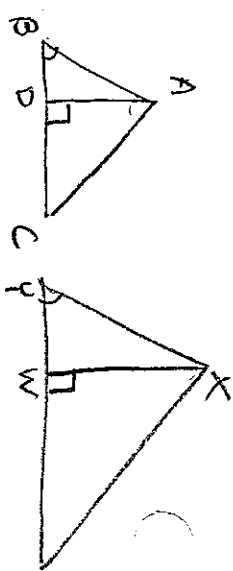
1. Given
2. \parallel lines \rightarrow alt. int. \angle 's \cong
3. AA Sim. post.
4. corr. sides $\sim \Delta$ prop.
5. Means-Extremes

25

Given: $\triangle ABC \sim \triangle XYZ$

\overline{AD} + \overline{XW} are altitudes

Prove: $\frac{AD}{XW} = \frac{AB}{XY}$



1. $\triangle ABC \sim \triangle XYZ$
2. $\angle B \cong \angle Y$
3. \overline{AD} + \overline{XW} are altitudes
4. $\overline{AD} \perp \overline{BC}$; $\overline{XW} \perp \overline{YZ}$
5. $\angle ADB$ + $\angle XWY$ rt. \angle s
6. $\angle ADB \cong \angle XWY$
7. $\triangle ADB \sim \triangle XWY$
8. $\frac{AD}{XW} = \frac{AB}{XY}$

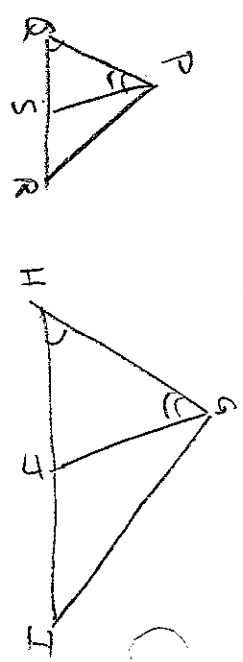
1. Given
2. corr. \angle s $\sim \Delta$ s \cong
3. Given
4. def. altitude
5. def. \perp
6. all rt. \angle s \cong
7. AA sim. post.
8. corr. parts $\sim \Delta$ s prop.

26

Given: $\triangle PQR \sim \triangle GHI$

\overline{PS} + \overline{GT} are \angle bis.

Prove: $\frac{PS}{GT} = \frac{PQ}{GH}$

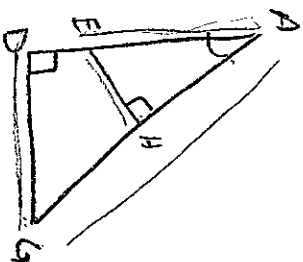


1. $\triangle PQR \sim \triangle GHI$
2. $\angle Q \cong \angle H$; $\angle QPR \cong \angle HGT$
3. $m\angle QPR = m\angle HGT$
4. \overline{PS} + \overline{GT} are \angle bis.
5. $m\angle QPS = \frac{1}{2} m\angle QPR$
 $m\angle HGT = \frac{1}{2} m\angle HGT$
6. $\frac{1}{2} m\angle QPR = \frac{1}{2} m\angle HGT$
7. $m\angle QPS = m\angle HGT$
8. $\angle QPS \cong \angle HGT$
9. $\triangle QPS \sim \triangle HGT$
10. $\frac{PS}{GT} = \frac{PQ}{GH}$

1. Given
2. corr. \angle s $\sim \Delta$ s \cong
3. def. \cong
4. Given
5. \angle bis. thm.
6. mult. prop. =
7. subst. \cong
8. def. \cong
9. AA sim. post.
10. corr. sides $\sim \Delta$ prop.

27) Given: $\overline{AH} \perp \overline{EH}$
 $\overline{AD} \perp \overline{DG}$

Prove: $AE \cdot DG = AG \cdot HE$



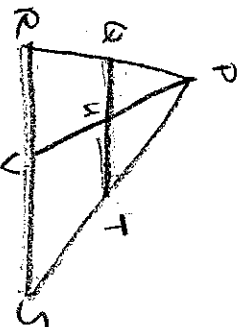
1. $\overline{AH} \perp \overline{EH}$; $\overline{AD} \perp \overline{DG}$
2. $\angle AHE \cong \angle DGH$ $\angle 3$
3. $\angle AHE \cong \angle DGH$
4. $\angle A \cong \angle A$
5. $\triangle ADG \sim \triangle AHE$
6. $\frac{HE}{DG} = \frac{AE}{AG}$
7. $AE \cdot DG = AG \cdot HE$

1. Given
2. def, \perp
3. all rt. \angle 's \cong
4. Reflexive
5. AA sim. post.
6. corr. sides $\sim \Delta$'s prop.
7. Means-Extremes

28)

Given: $\overline{QT} \parallel \overline{RS}$

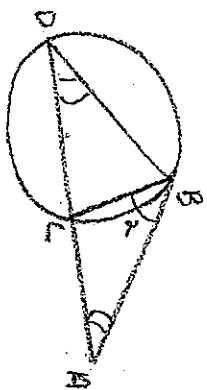
Prove: $\frac{QU}{RV} = \frac{UT}{VS}$



1. $\overline{QT} \parallel \overline{RS}$
2. $\angle PQU \cong \angle R$; $\angle PQU \cong \angle PVR$
 $\angle PUT \cong \angle PVS$; $\angle PUT \cong \angle PVS$
3. $\triangle PQU \sim \triangle PVR$; $\triangle PUT \sim \triangle PVS$
4. $\frac{QU}{RV} = \frac{PU}{PV}$; $\frac{UT}{VS} = \frac{PU}{PV}$
5. $\frac{QU}{RV} = \frac{UT}{VS}$

1. Given
2. \parallel lines \Rightarrow corr. \angle 's \cong
3. AA sim. post.
4. Corr. sides $\sim \Delta$'s prop.
5. subst.

(29) Given: $\angle 1 \cong \angle 2$
 Prove: $(AB)^2 = AD \cdot AC$



- | | |
|---------------------------------------|---|
| 1. $\angle 1 \cong \angle 2$ | 1. Given |
| 2. $\angle A \cong \angle A$ | 2. Reflexive |
| 3. $\triangle ABC \sim \triangle ADB$ | 3. AA \sim post. |
| 4. $\frac{AB}{AD} = \frac{AC}{AB}$ | 4. corr. sides \sim Δ in prop. |
| 5. $(AB)^2 = AD \cdot AC$ | 5. Means-Extremes |

(30) $15 + 20 = 35$ $\frac{15}{35} = \frac{18}{VC}$ $\frac{30}{35} = \frac{BB'}{44}$ $\frac{15}{35} = \frac{24}{AB}$

$42 = VC$ $28 = BB'$ $50 = AB$

(31) ① $\frac{10}{26} = \frac{A'B'}{20}$ ② $\frac{18}{20} = \frac{A''C'}{10}$ ③ $\frac{8}{20} = \frac{C'B'}{14}$

$8 = A'B'$ $64 = A'C'$ $56 = C'B'$

① ($\triangle AA'B' \sim \triangle AA''C'$ by AA \sim post.)
 ② ($\triangle ABC \sim \triangle A''B'C'$)

Perimeter = 30

