

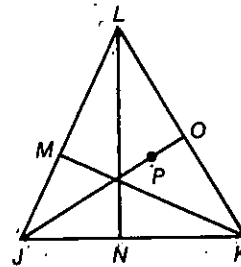
Practice 16

More about Proof in Geometry

Lessons 4-6, 4-7

Complete.

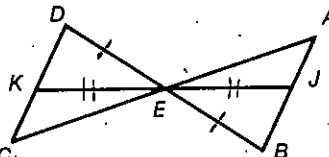
- If $\overline{KM} \perp \overline{LJ}$, then \overline{KM} is a(n) altitude of $\triangle JKL$.
- If $LO = OK$, then \overline{JO} is a(n) median of $\triangle JKL$.
- If \overline{LN} bisects $\angle JLK$, N is equidistant from \overline{LJ} and \overline{LK} .
- If O is the midpoint of \overline{LK} , and $\overline{JO} \perp \overline{LK}$, then:
 - \overline{JO} is the \perp bis. of \overline{LK} .
 - P is equidistant from \overline{LJ} and \overline{KJ} .



Exs. 1-4

- Given: \overline{BD} and \overline{KJ} bisect each other.

Prove: $\overline{CE} \cong \overline{AE}$



- | | |
|--|------------------------------|
| 1. $\overline{BD} + \overline{KJ}$ bis. each other | 1. Given |
| 2. E is mdpt. of $\overline{BD} + \overline{KJ}$. | 2. def. bisect |
| 3. $\overline{DE} \cong \overline{EB}$; $\overline{KE} \cong \overline{EJ}$ | 3. def. mdpt. |
| 4. $\angle DEK \cong \angle BEJ$ | 4. vert. \angle 's \cong |
| 5. $\triangle DEK \cong \triangle BEJ$ | 5. SAS |
| 6. $\angle D \cong \angle B$ | 6. CPCTC |
| 7. $\angle DEC \cong \angle BEA$ | 7. vert. \angle 's \cong |
| 8. $\triangle DEC \cong \triangle BEA$ | 8. ASA |
| 9. $\overline{CE} \cong \overline{AE}$ | 9. CPCTC |

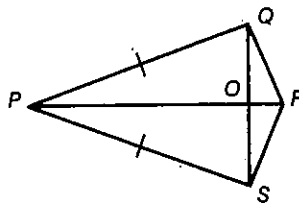
- Given: \overline{PQ} is an altitude of $\triangle PQR$;

\overline{PS} is an altitude of $\triangle PSR$;

$\overline{PQ} \cong \overline{PS}$

Prove: \overline{PO} is a median of $\triangle PQS$.

List the key steps of a proof.



- \overline{PQ} is alt. of $\triangle PQR$
- \overline{PS} is alt. of $\triangle PSR$
- $\angle PQR + \angle PSR$ rt. \angle 's
- $\triangle PQR + \triangle PSR$ rt. \triangle 's
- $\overline{PR} \cong \overline{PR}$
- $\triangle PQR \cong \triangle PSR$ by HL
- $\angle QRP \cong \angle SRP$; $\overline{QR} \cong \overline{SR}$ by CPCTC
- $\overline{OR} \cong \overline{OR}$
- $\triangle QRO \cong \triangle SRO$ by SAS

- $\overline{QO} \cong \overline{SO}$ by CPCTC
- O is mdpt. of \overline{QS}
- \overline{PO} is median of $\triangle PQS$